Consider this recurrence which is only defined for values of $n=2^k$ for some integer $k \ge 1$:

```
T(2) = 8
T(n) = 7 * n + T(n/2)
```

1. Solve this recurrence using repeated substitution.

2. Try proving that your answer is correct by induction to see if you obtained a correct solution or not.

Lab 2 (for Monday Sept. 16) has been posted. If you want extra problems for labs, let me know.

Assignment #1: Written questions: due Fri. Sept. 20. Programming questions: due Tues. Sept. 24 (connex).

If you did not fill out a schedule sheet last class, make sure you fill one out today.

Today I will go through slides we skipped from Lecture 2.

Office hours today:

12:30 or 1:30 Please let me know if you plan to come by.

The file itest.txt looks like this:

512345 9123456789 and so on...

Old versions of notepad are not displaying the new lines properly. There is a file itest2.txt now added to the bottom of programming assignment 1b that should work better for display. Or if you prefer, I have added the file contents to the bottom of the page so you can see it displayed properly. Input/output should be from STANDARD INPUT/STANDARD OUTPUT. It is critical that you learn how to redirect standard I/O so that the I/O comes from a file.

Running from a command prompt: To use the console for I/O: java Test

To redirect the input to come from the file in.txt and send the output to out.txt: java Test < in.text > out.txt

If you need help, stop by the consultants office.











3D PRINTING SEMINAR

Welcome back everyone! Let's start the year off right by learning a little bit about 3D printing and watching the machine in action. **3D printing not enough?** Then come by for the free food! The entrepreneurial company *College Pro* is providing PIZZA for the event.

When: Friday, September 13 @4:30 Where: ECS 660



Consider this recurrence which is only defined for values of n= 2^k for some integer $k \ge 0$: T(1)= 1, T(n)= n + T(n/2). Last class I initially had the incorrect solution: T(2^k)= (k+1) 2^{k+1} .

If we try to prove this is correct by induction: [Base case] $T(1) = T(2^{\circ})$ is supposed to be 1 by definition of the recurrence. If we plug k=0 into the formula we get: T(1)= T(2⁰)= (0+1) $2^{0+1}= 2 \neq 1$. The base case fails! If you have a correct solution to the recurrence, your formula should work for the base case. 7 Consider this recurrence which is only defined for values of n= 2^k for some integer $k \ge 0$: T(1)= 1, T(n)= n + T(n/2). The correct solution: T(2^k)= (k+1) 2^k . Exercise: Prove this is correct by induction.

We then expressed this in terms of n (the problem size).

Definition: if $n=2^k$ then $\log_2(n)=k$.

Thus: T(n)= T(2^k)= (k+1)
$$2^{k}$$
 = (log₂(n) + 1) n
= n log₂(n) + n \in O(n log₂(n))

Divide and Conquer

- 1. Divide the problem into two or more subproblems.
- 2. Solve the subproblems.
- 3. Marry the solutions.

This is one of the most common problem solving tactics and leads naturally to recursive algorithms.

Merge Sort- with linked lists

[Basis] If the list has size 0 or 1 it is already sorted so return.

- [Divide] Otherwise, split the list into two lists, list1 and list2, of roughly equal sizes.
- [Conquer] Sort list1 and list2 (recursively).
- [Marry solutions] Merge list1 and list2 together to get the answer.

How can we split a list into two lists for our Mergesort?

One solution: evenOddSplit()

Side note: this is not the right way to do it on the assignment.

Learning objectives: Understanding of how to program linked lists in Java. To learn how to draw pictures of what a program is doing as it is executing (this will help you to more easily write correct code and to debug code which is not correct).

Review of linked lists

